Giant Dzyaloshinskii-Moriya interaction in Rashba superlattices

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Dzyaloshinskii-Moriya interaction (DMI) is considered as one of the most important energy for specific chiral texture such as magnetic skyrmions. The key of generating DMI is absence of structural inversion symmetry and exchange energy with spin-orbit coupling. Therefore, a vast majority of researches about DMI is mainly limited to heavy metal/ferromagnet bilayer systems, only focusing on their interfaces. Here, we report that asymmetric band formation in an artificial superlattice arises from inversion symmetry breaking in stacking order of atomic layers, resulting in bulk DMI. Such bulk DMI is more than 300% larger than simple sum of interfacial contribution. Moreover, the asymmetric band is largely affected by strong spin-orbit coupling, showing crucial role of a heavy metal even in the non-interfacial origin of DMI. Such Rashba superlattices can be a new class of material design for spintronics applications.

Introduction

The lack of inversion symmetry at the interface between a heavy metal (HM) and a ferromagnet (FM) induces the antisymmetric exchange interaction so-called Dzyaloshinskii-Moriya interaction (DMI) [1-4]. Recently, DMI has been intensively studied in the material combinations possessing perpendicular magnetic anisotropy (PMA) due to their necessities in creating magnetic chiral textures, such as magnetic skyrmions for the new type of racetrack memory device [5-8]. Generally, in order to stabilize skyrmions at room temperature, multilayer structures with repetitive stacking of FM/HM bilayer are utilized because multi-stacking of the bilayer unit easily provide the PMA and the sizable DMI at the same time, both of them arising from the same physical origin, *i.e.*, interfacial SOC [9,10]. In this respect, Co/Pd and Co/Pt interfaces are one of the well-known material combinations providing both the PMA and the DMI originating from interfaces, resulting in stable magnetic skyrmions in [Co/Pd] superlattices [11, 12]. With the same manner of such a AB-type multi-stacking structure composed of *several nanometer-thick layers* as illustrated in **Fig. 1(a, left)**, a superlattice with ABC-type repetitive stacking of a *few atomic mono-layers* [**Fig. 1(b, right)**] is interesting system. An epitome is the [Co/Pd/Pt] superlattice (SL) possessing PMA generated by the bulk-type spin momentum locking due to absence of inversion symmetry in stacking order [13]. Note that not interfaces but asymmetry of bulk-type band formation in the [Co/Pd/Pt]-SL as illustrated in **Fig. 1(b)** is essential to give rise to such a chiral phenomenon, resulting in strong PMA.

Such inversion symmetry breaking (ISB) in the SL with ABC-type stacking order would traditionally be accounted for by involving the Rashba model Hamiltonian, $\mathcal{H}_R = \alpha_R(\mathbf{k} \times \hat{z}) \cdot \boldsymbol{\sigma}$, which was initially proposed for a surface, where $\hat{z}$ is the direction of inversion-symmetry-breaking-induced potential gradient [14]. The oddness of the SOC in the $\mathbf{k}$ space due to the

Figure 1. Superlattice structure with symmetry breaking in stacking order. Superlattices with (a, left) AB-type and (a, right) ABC-type stacking-order, which is composed of nm-thick and sub-nm-thick layers, respectively. (b) Asymmetry of band structure in terms of direction of magnetization in the superlattice with ABC-stacking order. (c) Structures of the $[\text{Co(t)}/\text{Pt}(0.4)]_5$, $[\text{Co(t)}/\text{Pd}(0.4)]_5$, and $[\text{Co(t)}/\text{Pd}(0.4)/\text{Pt}(0.4)]_5$ -SL. For this study, the same buffer layer and capping layer structures (except the stacks in the red dotted box) were used for all samples.

ISB is shown by the dependence of the Hamiltonian on the linear terms in $\mathbf{k}$, although higher odd-order may in principle also appear. Rashba effect manifests most immediately into a spin-splitting within the $\mathbf{k}$ space, and it has been vastly utilized to interpret a number of magnetic phenomena [15-18], in particular those well understood to originate from the ISB, such as the Dzyaloshinskii-Moriya interaction responsible for exotic magnetic textures such as skyrmions and chiral domain walls, and spin-orbit torque.

In this study, we investigate DMI of [Co/Pd/Pt]-SLs arising from bulk spin-momentum locking. DMI of [Co/Pd/Pt]-SLs with coherent lattice strain is about two-fold larger than those of other SL with inversion symmetry, [Co/Pd]- and [Co/Pt]-SLs. First-principles calculations reproduce such DMI enhancement in the ABC-type superlattice (hereafter Rashba superlattice), showing that the asymmetry of bands around Fermi energy level induced by ISB. Observed linear correlation of DMI with repetitions of the ABC-layer unit in the superlattice suggests that the enhancement of DMI is attributed to the bulk-type asymmetric band formation around the Fermi level.

Results and Discussion

DMI of superlattices

The magnetic superlattices of [Co/Pt], [Co/Pd], and [Co/Pd/Pt] were prepared varying the Co thickness as shown in Fig. 1(c). Hereafter, [Co/Pd]-SL, [Co/Pd]-SL, and [Co/Pd/Pt]-SL. Firstly, the Co thickness dependence of DMI is investigated in [Co(t)/Pt(0.4)]₅, [Co(t)/Pd(0.4)]₅, and [Co(t)/Pd(0.4)/Pt(0.4)]₅-SL. In order to estimate the DMI energy of each superlattice, the measurement based on the extended droplet model was conducted [19,20]. **Figure 2 (a)** shows the schematic illustration of the droplet measurement. Since the nucleated magnetic droplet possesses domain wall magnetizations with two opposite radial direction. As illustrated in **Fig. 2 (a)**, we can consider two domain wall magnetizations ($\mathbf{M}_{\text{DW1}}$ and $\mathbf{M}_{\text{DW2}}$) with respect to H_x . If we approximate that the two domain wall magnetizations dominate the total domain wall energy under H_x , the total domain wall energy of nucleated magnetic droplet can be obtained from sum of the domain wall energies: $\sigma_{\text{total}} = \sigma_{\text{DW1}}(+H_x) + \sigma_{\text{DW2}}(-H_x)$, where $\sigma_{\text{DW1}}(+H_x)$ and $\sigma_{\text{DW1}}(-H_x)$ are the domain wall energies with respect to H_x . The nucleation field through the relation as follows: $\mu_0 H_n = \pi \sigma_{\text{DW, total}}^2 t_{\text{FM}} / 2 \mu_0 M_s p k_B T$, where t_{FM} is the ferromagnet thickness, $\mu_0 M_s$ is the saturation magnetization, p represents the thermal stability

Figure 2. Large DMI of the Rashba SL. (a) Illustration of droplet nucleation field profile in terms of in-plane field. (b) Normalized $\sqrt{H_{n,z}}$ in terms of H_x . Inset shows the configuration of device with external field (H_{ex}), components of the H_{ex} (H_x and H_z), and M_S . (c) H_{DMI} and D values of the SLs. (d) D values of the SLs in terms of N . (e) XRR measurement results of SLs with $N=10$.

factor, k_B is the Boltzmann constant and T denotes temperature [21]. Therefore, square root of nucleation fields in terms of H_x should follow the blue curve in **Fig. 2 (a)**. Note that σ_{total} is proportional to $\sqrt{H_{n,z}}$ when $H_x > H_{DMI}$, otherwise σ_{total} becomes constant. The crossing point of the two linear curves can be defined as DMI-induced effective field (H_{DMI}). Based on this model, the angular dependence of coercivity was measured to obtain $\sqrt{H_{n,z}}$ of the superlattices as illustrated in **inset of Fig. 2 (b)**. In this measurement concept, applied magnetic

field can be decomposed into $\mathbf{H}_x$ and $\mathbf{H}_{n,z}$. The detailed measurement scheme is as follows; first of all, the sample is saturated to the +z direction. Then, the magnetic field is swept from the positive to negative field in terms of various polar angles (θ) in order to obtain the θ dependence of switching field ($\mu_0\mathbf{H}_{SW}$). Considering the measurement time scale (ramping rate ~ 1 T/min.) is much slower than that of complete switching *via* domain wall propagation initiated from the nucleation, we can consider the relation of $\mu_0\mathbf{H}_{n,z} = \mu_0\mathbf{H}_{SW}\cos\theta$. With this approach, we could obtain the quantitative information of DMI by plotting the $\mathbf{H}_x$ dependence of $\sqrt{\mathbf{H}_{n,z}}$.

In order to study the relation between DMI and the structural coherency, H_{DMI} values of superlattices was obtained using above method in terms of t_{Co} . The $\mathbf{H}_x$ vs. $\sqrt{\mathbf{H}_{n,z}}$ plots in **Fig. 2 (b)** displays that all [Co/Pd/Pt]₅ films show the critical field which can be defined as H_{DMI} within the t_{Co} range 0.2~0.8 nm. This means Neel-type skyrmion-nucleation occurs in all films due to vertical ISB. Here, DMI energy density ($\mathbf{D}$) is discussed for excluding effects of K_{eff} and M_S . $\mathbf{D}$ value can be estimated by using the equation of $\mathbf{D} = \mu_0\mathbf{M}_S\Delta\mathbf{H}_{DMI}$, where Δ denotes the domain wall width which is determined by the exchange stiffness constant (A) and K_{eff} by $\Delta = \sqrt{A/K_{eff}}$. In all samples, $A = 10$ pJ/m is assumed. From $\mathbf{D}$ vs. t_{Co} plots, we found that not only [Co/Pd/Pt]-SLs, but also other superlattices, [Co/Pt]-SL and [Co/Pd]-SL, have sizable DMI although they are designed to have symmetric structure. It has been reported that a Co layer shares interfaces with top and bottom Pt or Pd layers, and sequential deposition process makes different interfacial qualities between Co/Pt(Pd) and Pt(Pd)/Co interface [22,23]. That is to say, [Co/Pt]-SL and [Co/Pd]-SL also have structural asymmetry within out-of-plane direction. This will be discussed in detail at the end of this session.

Obtained $\mathbf{D}$ values of all superlattices are plotted in **Fig. 2 (c)**. We can clearly see that $\mathbf{D}$ of [Co/Pd/Pt]-SLs is 3~4 times larger than those of other superlattices when $t_{Co} < 0.6$ nm, while

H_{DMI} values become similar to each other when $t_{\text{Co}} > 0.4$ nm. We found that range of the t_{Co} under 0.6 nm is *coherent strain regime*, and the ABC-type structure shows exceptionally larger K_{eff} only in the thickness range [Supplementary Information]. A possible origin of such large anisotropy in the [Co/Pt/Pd]-SL is bulk spin momentum locking arising from the symmetry breaking due to odd contribution of magnetic anisotropy energy [18]. In this point of view, large DMI in the [Co/Pd/Pt]-SL within the coherent strain regime ($t_{\text{Co}} \leq 0.4$ nm) is also due to the bulk-spin momentum locking arising from *symmetry breaking with stacking order* in the superlattice.

Note that difference of DMI between Pt/Co and Co/Pd interfaces in the [Co/Pd/Pt]-SL can also enhance total DMI energy and the value should be larger than what other symmetric structures have. In other words, the interfacial origin should be also considered to explain our observation. In order to confirm the characteristics of DMI originating from the interface, the dependence of repetition number (N) was studied in all series of the SLs. **Figure 2 (d)** shows that both the [Co/Pd/Pt]-SL and the [Co/Pd]-SL show repetition number (N) dependence of DMI, while the [Co/Pt]-SL does not. Especially, DMI of the [Co/Pd/Pt]-SL linearly increases by more than 300% when N increases from 2 to 10. We note that such linear dependence of DMI cannot be simply explained by the interfacial origin. If the increase in DMI with repetition numbers is fully originated from the interfacial spin-orbit coupling, the DMI should be independent with the repetition numbers because the gains in the DMI energy by increasing the number of interfaces are compensated by the volume of Co layers. We note that [Pd/Co/Pd]-SL also shows N-dependence of DMI with experiment in spite of the inversion symmetry. Since the Co/Pd interface can be easily intermixed more than a Pd/Co because Pd is heavier than Co [22, 23], different level of intermixing at Pd/Co and Co/Pd interfaces induces ISB, thereby sizable DMI can be generated. Therefore, [Co/Pd/Pt]-SL and [Pd/Co]-SL may share the same origin to have N-

dependence of DMI. Observation of skyrmion phase in the Co/Pd multilayers has been reported based on this scenario [11]. Though the same thing can occur in the [Pt/Co/Pt]-SL, there is no N-dependence of DMI possibly due to that Pt is heavier than Pd. In other words, severe intermixing between Co and Pt may induce random arrangement of atoms during the deposition process, resulting in decrease of DMI. The x-ray reflectivity (XRR) study shown in **Fig. 2 (e)** clarifies this point. The 1st-Bragg-like peak in XRR is known to be observed in the superlattice possessing periodicity [24]. In case of [Co/Pd/Pt]-SL and [Co/Pd]-SL, the 1st-Bragg-like peaks are shown in the XRR spectra, while there is no indication of the Bragg-like peak for [Co/Pt]-SL, implying that there is an intermixing at the interface [24,25]. Therefore, the observed DMI of [Co/Pt]-SL should arise from the interface between randomly intermixed SL and bottom Pt buffer layer. On the other hands, not only [Co/Pd/Pt]-SL, but also [Co/Pd]-SL should have structural asymmetry, as confirmed by the periodicity in XRR results. Our results imply that such a structural asymmetry is essential for the N dependence of DMI. In order to understand the correlation between structural asymmetry and N-dependence of DMI under microscopic point of view, we conducted the 1st principle calculation as explained in following section.

Theoretical Consideration about DMI of the Superlattices

Estimation of the magnetocrystalline energy (MCA) and DMI is done by following the steps outlined previously [13, 26] Here, we consider 1~4 [Co/Pt/Pd] units, and anticlockwise rotation of the spin spiral structures as shown in **Fig. 3(a)-(c)**. Detail process is explained in the Method Section. The calculation results are summarized in **Fig. 3 (d) and (e)**. The odd terms of the MCA energy (E_{MCA}^{odd}), which quantifies ISB, are summarized in **Fig. 3(d)**. This quantity is related to the ISB-induced shift of the band structure along the k_y direction due to the magnetization along x direction. We note that E_{MCA}^{odd} increases with the repetition number N of [Co/Pt/Pd] unit layers. The total MCA and E_{MCA}^{odd} in the [Pt/Co/Pd]_n increases shown in **Fig. 3(d)**, and the total MCA

Figure 3. ISB-related MCA energy and DMI of the [Co/Pt/Pd]-SL. (a) The side view and (b) the top view of the model crystal structure of Co/Pt/Pd-based multilayer system. The $\mathbf{M}$ direction for the propagation of the spin-spiral wave is indicated by the red arrow in (b). (c) Anticlockwise rotation of the spin spiral structures. The calculated N dependence of (d) the odd term of MCA energies $E_{\text{MCA}}^{\text{odd}}$ and (e) the DMI for the [Pt/Co/Pd]_N model systems, while those obtained for the bulk system are shown using straight lines. The N dependence of the total MCA energies E_{MCA} of the [Pt/Co/Pd]_N model systems and the corresponding bulk value are shown in (a) using dashed lines.

value can be expected to reach 0.043 meV/Å² obtained for the bulk [Co/Pt/Pd]-SL, i.e. the infinitely periodic system along c direction [Pt/Co/Pt]_∞ [27]. When the DMI constants are further extracted by utilizing the polynomial expression of the frozen magnon energy (Eq. S1 in Supplementary Information), we obtain D value of the asymmetric [Pt/Co/Pd]_N structure which increases with N [see **Fig. 3(e)**]. At this stage, a quantitative agreement with the measured DMI

for these systems is difficult due in parts to the idealized structures, i.e. without in-plane structural asymmetry, used in calculations. However, the increase of DMI in the $[\text{Pt}/\text{Co}/\text{Pd}]_N$ is fully consistent with our experimental observations. Atomic intermixing should be also considered in calculations as observed in our experiments. However, both studies manifest that DMI in such an ABC-type structure with coherent strain cannot be explained with conventional approach with interfacial origin.

The two-dimensional MCA contour map of $[\text{Pt}/\text{Co}/\text{Pd}]_1$ is shown in **Fig. 4(a)**. This map shows the typical characteristic of the MCA in the systems with ISB. Since the in-plane magnetization is oriented along the $+x$ direction, i.e. $\mathbf{m} = m_{+x}\hat{x}$, the MCA is asymmetric along the k_y axis, which is along the $\hat{z} \times \mathbf{m}$ direction, and shows mirror symmetry along k_x direction. Similar behavior is obtained for other N . The Fermi surface of $[\text{Pt}/\text{Co}/\text{Pd}]_1$ is visibly shifted towards negative k_y as shown by using the red color in **Fig. 4(b)** for m_{+x} magnetization, and is shifted symmetrically towards negative k_y when the magnetization is along the $m_{-x}\hat{x}$ direction, as plotted by using the blue color in **Fig. 4(b)**. In order to check the band contribution to the Rashba splitting, we plot Fermi surface by switching off the spin-orbit coupling in each atomic layer. Comparing the results shown in **Figs. 4(d)-(f)**, it is visible that switching off SOC in Pt layer alters the shape of the Fermi contour most considerably compared to Co and Pd, implying crucial role of Pt bands to the band splitting, which should be attributed to the strong SOC constant of the Pt atom.

The anatomy of the DMI can be decomposed in a similar fashion. For this purpose, one can extract the DMI using the polynomial expression (Eq. 1 in Method Section) from the spiral structures built for several q vectors by switching on/off the SOC of a particular layer. In this work, however, we choose a simpler approach, i.e. by calculating the asymmetry between the energies of spiral structures with $q = \pm 0.25$, of which the degeneracy is lifted due to the ISB. When the asymmetric energy in a total structure, which is correlated with DMI and defined here as the energy difference between

$q = \pm 0.25$ states, are denoted as $E_{q=\pm 0.25}^{asym}$, the contribution of a particular layer L to the asymmetric energy can be given as

$$E_{q=\pm 0.25}^{asym}(L) = E_{q=\pm 0.25}^{asym}(\text{tot}) - E_{q=\pm 0.25}^{asym}(L_{\text{off}}), \quad (1)$$

where $E_{q=\pm 0.25}^{asym}(\text{tot})$ is the asymmetric energy which includes the contribution of all layers, and $E_{q=\pm 0.25}^{asym}(L_{\text{off}})$ is the asymmetric energy when the SOC contribution of layer L is switched off. The results are summarized in **Fig. 5**, clearly showing that, first of all, despite being the carrier of the magnetic moments, Co gives very small contribution to the DMI. In fact, the largest contribution to the asymmetric energy, hence to the DMI, is coming from the neighboring Pt layers,

Figure 4. k -dependent MCA energy and Fermi surface in the [Pt/Co/Pd] unit structure. (a) Two dimensional (k_x, k_y) contour map of k -dependent MCA energy and (b) Fermi surface for different in-plane magnetization directions along $+x$ and $-x$ axes, plotted using respectively red and blue lines, of the [Pt/Co/Pd]₁ model system depicted in (c). (d)-(f) Fermi surface of the [Pt/Co/Pd]₁ model system in the absence of SOC on the Pt1, Co1, and Pd1 layer, respectively.

Figure 5. Origin of the N-dependence of DMI in the [Pt/Co/Pd]-SL. The contribution of different atomic layer L to the asymmetric energy between the spiral structures with wave vectors $q = \pm 0.25$, $E_{q=\pm 0.25}^{asym}(L)$. The corresponding atomic layer contributions for bulk system, i.e. with $n=\infty$, are shown with black lines. The sequence of the layers is illustrated. The total asymmetric energy $E_{q=\pm 0.25}^{asym}(tot)$ is also shown.

which can be understood to dominate the band around Fermi level, as shown in **Figs. 4(d)-(f)**. It should be noted that for all N , Pd gives smaller and opposite contribution to the DMI, in comparison to Pt. Additionally, the evaluated total $E_{q=\pm 0.25}^{asym}$ for all N , as plotted in the inset of **Fig. 5**, shows considerable deviations for all contributions, then, converges to that of the infinitely periodic bulk. This implies a non-interfacial origin, but bulk spin-momentum locking for the DMI in the considered [Pt/Co/Pd]-SL systems³⁰.

Conclusion

Our experimental and theoretical studies demonstrate that the bulk spin-momentum locking in

a superlattice can be made with asymmetric atomic stacking and structural coherency. Especially, the N-dependence of DMI of the [Co/Pd/Pt]-SL is important phenomenon arising from the band asymmetry. Because interfacial DMI in a ferromagnet/heavy metal bilayer has been only considered so far, material selection has been limited to several cases for development of skyrmion-based devices. On the other hand, bulk DMI can be made with such ABC-type material combination within atomic scale, which is larger than interfacial contribution. Our experimental and theoretical findings can provide a new class of material design for spintronic devices with chiral magnets.

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Methods

Experiment

The magnetic superlattice structures of [Co/Pt], [Co/Pd], and [Co/Pd/Pt] were deposited by the UHV magnetron sputtering system. Hereafter, [Co/Pd]-SL, [Co/Pd]-SL, and [Co/Pd/Pt]-SL. The thickness of magnetic layer (Co) is varied in each superlattice. The static magnetic properties such as saturation magnetization (M_S) and magnetic anisotropy energy are investigated by the vibrating sample magnetometer (VSM). In order to quantify DMI energy, we used the extended droplet method [19-21]. All the films were patterned into a microstrip with a Hall bar structure by E-beam lithography to prevent the nucleation of domain at the rough microstrip edge. Ti (5 nm)/Au (100 nm) electrodes are defined to make electrical contacts with μm -scale Hall bars by photolithography and lift-off process.

The 1st principle calculation for MCA and DMI of SLs

The MCA energy E_{MCA} has been defined in our calculation as the energy difference between the in- and out-of-plane magnetization direction, i.e. $E_{\text{MCA}} = E_{\text{ip}} - E_{\text{op}}$, where E_{ip} and E_{op} refer respectively to the total energy of the in- and out-of-plane magnetization. The inclusion of SOC is done via the second variational method [5]. The in-plane magnetization direction has been chosen to be along the x direction. We found that our calculated MCA energy has converged at a relatively large two-dimensional k-point mesh of 100×100 . In addition to the total MCA energy, we also virtually decomposed the k-dependent MCA energy into $E_{\text{MCA}}^{+k_y}$ and $E_{\text{MCA}}^{-k_y}$ in which $E_{\text{MCA}}^{\pm k_y} = E(m_x, \pm k_y) - E(m_z, \pm k_y)$ and calculated the odd term of the MCA energy $E_{\text{MCA}}^{\text{odd}}$ by following the recipe in our previous work [13], as $E_{\text{MCA}}^{\text{odd}} = E_{\text{MCA}}^{+k_y} - E_{\text{MCA}}^{-k_y}$. This quantity, despite the fact that it contains no physical meaning, illustrates the physics of Rashba spin-orbit coupling and provides an estimation of the degree of ISB by the shift of the Fermi surface. Comparison with bulk values has been done with a three-dimensional k-point mesh of 75

$\times 75 \times 45$ for the bulk [Co/Pt/Pd]-SL [13].

The estimation of $\mathbf{D}$ values was done by following the steps outlined previously [13, 26]. We start from the ferromagnetic configuration which is found to be the ground state of all model systems at the scalar relativistic approximation, i.e. without the SOC. Next a set of spiral spin structures with wave vectors $\mathbf{q} = a/\lambda$ along the $M = (1, 1, 0)$ direction (see **Fig. 3b**), where λ is the wavelengths of the spin spiral structures, are generated by utilizing the generalized Bloch theorem [28, 29]. When the SOC is then included, the spin-spiral structures have been assumed to be the Néel xz out-of-plane rotation type. The frozen magnon energy, $E(q)$, for $q = 0, \pm 0.1, \pm 0.2, \pm 0.25$ has been fitted with a polynomial expansion;

$$E(q) = C_0 + C_1q + C_2q^2 + C_3q^3 + C_4q^4, \quad (1)$$

where the odd terms C_1 and C_3 occur due to the presence of ISB. The DMI discussed in this work is extracted as the antisymmetric exchange stiffness constant C_1 , i.e. first order in q , or $\mathbf{D} \equiv C_1$. Convergence of the calculated DMI has been obtained with a 40×40 k -point mesh within the two-dimensional Brillouin zone. As in the case of MCA energy, we have also computed the DMI for the bulk CoPtPd system with the Néel xz out-of-plane rotation type magnetic structures along the $\mathbf{M}$ direction, and a three-dimensional $40 \times 40 \times 20$ k -point mesh has been used.

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Author contributions

S.K. and T.O. designed the research, K.Y. fabricated the superlattices, W.S.H. carried out the device fabrication, XRR and electrical measurements, W.S.H, K.K., S.K. and T.O. analysed experimental data. A.M.P, S.R. and K.N. carried out and analysed the DFT calculations. H.W. and A.M.P. wrote the manuscript under supervision of S.K. and T.O. with input from all the authors.

Competing interests

The authors declare no competing interests.

Additional information

Extended data is available for this paper at <https://doi.org/>.

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